# Embedding large graphs into a random graph

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In this talk we consider the problem of embedding almost spanning, bounded degree graphs in a random graph. In particular, let $\Delta \geq 5$ and let $H$ be a graph on $(1-o(1))n$ vertices and with maximum degree $\Delta$. We show that a random graph $G_{n,p}$ with high probability contains a copy of $H$, provided that $p \gg (n^{-1}\log^{1/\Delta} n)^{2/(\Delta+1)}$. Our assumption on $p$ is optimal (even up to the *polylogn* factor, which is the conjectured one for the spanning case) and the result verifies the so-called Kahn-Kalai Conjecture for this class of graphs.

Joint work with Kyle Luh and Oanh Nguyen (both from Yale University).