

COMBINATORICS  
SEMINAR

*Ascending subgraph decompositions*

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**Abstract:** A graph  $G$  has a decomposition into graphs  $H_1, \dots, H_m$ , if the edges of  $G$  can be partitioned into edge-disjoint copies of each of  $H_1, \dots, H_m$ . A typical theme for many well-known decomposition problems is to show that some obvious necessary conditions for decomposing a graph  $G$  into copies  $H_1, \dots, H_m$  are also sufficient. One such problem was posed by Alavi, Boals, Chartrand, Erdős, and Oellerman. They conjectured that the edges of every graph with  $\binom{m+1}{2}$  edges can be decomposed into subgraphs  $H_1, \dots, H_m$  such that each  $H_i$  has  $i$  edges and is isomorphic to a subgraph of  $H_{i+1}$ . This talk will be about a proof of this for sufficiently large  $n$ . Joint work with Kyriakos Katsamaktis, Shoham Letzter, and Benny Sudakov.

Wednesday, November 29, 2023, 4:00 pm  
Atwood 240

MATHEMATICS  
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