

COMBINATORICS

JOB TALK

The Problem of Polytope Reconstruction

Hailun Zheng, Assistant Professor
University of Houston-Downtown

Abstract: What partial information about a convex d -polytope is enough to uniquely determine its combinatorial type? This problem, known as the problem of polytope reconstruction, has been extensively studied since the sixties. For instance, a famous result of Perles asserts that simplicial d -polytopes are determined by their $\lfloor d/2 \rfloor$ -skeletons.

In this talk, I will survey recent advances in this field, from mainly two perspectives. 1) realizability: can a certain simplicial complex be realized as the $(\lfloor d/2 \rfloor - 1)$ -skeleton of a simplicial d -polytope or a simplicial $(d-1)$ -sphere? 2) sufficiency: can the i -skeleton (where $i \leq \lfloor d/2 \rfloor$), together with some additional information such as affine $(i+1)$ -stresses, determine the combinatorial or even affine type of the polytope?

This is joint work with Satoshi Murai and Isabella Novik.

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